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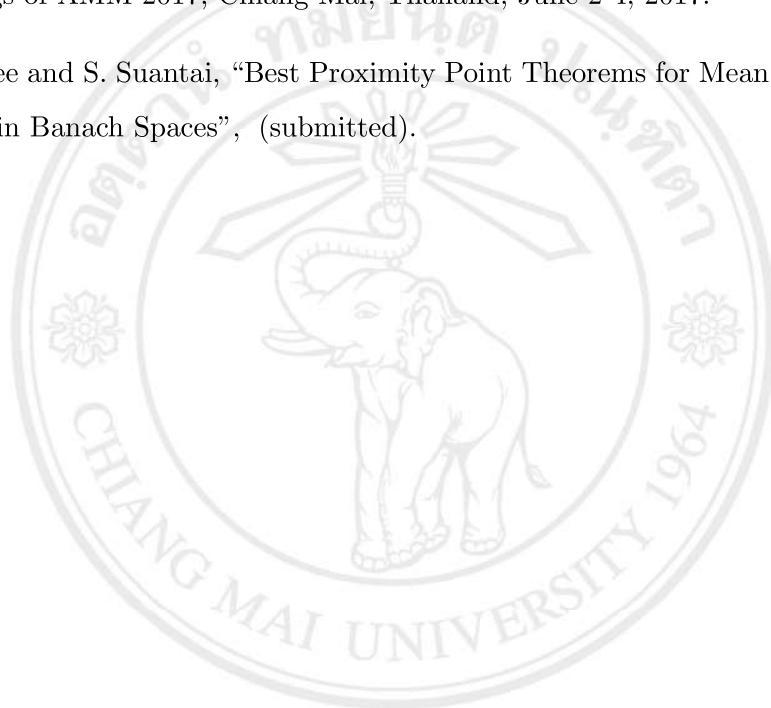
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## LIST OF PUBLICATIONS

- 1) J. Puangpee and S. Suantai, “Fixed Point Theorems for Multivalued Nonself Kannan-Berinde Contraction Mappings in Complete Metric Spaces”, (submitted).
- 2) J. Puangpee and S. Suantai, “Fixed Point Theorems for Multivalued Nonself Kannan-Berinde  $G$ -contraction Mappings in Complete Metric Spaces Endowed with Graphs”, Proceedings of AMM 2017, Chiang Mai, Thailand, June 2-4, 2017.
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